

# **Intro to expressions and variables**

# Expression

Expressions are made up of one or all of these:

- numbers (2 or 3 or 4)
- variables (P, x, y, z, or n)
- operations (+, -, x, /)

# Expression Examples 1

let  $A$  be the number of apples I have

let  $B$  be the number of bananas.

$A+B$  expresses the \_\_\_\_\_

$B-A$  expresses \_\_\_\_\_

# Expression Examples 2

Let  $C$  be the number of cheetos you eat each day.

$3C$  would express \_\_\_\_\_

$7C$  would express \_\_\_\_\_

# Expression examples 3

Let  $p$  be the number of pennies

Let  $n$  be the number of nickles

What could these expressions mean?

$$5n+p$$

$$6n+2p$$

$$n+p$$

Would an expression with any other operation besides adding make sense here?

# Coefficient

Coefficients are the number part of the terms with variables.

In  **$3x + 2y + 7xy + 5$**

the coefficient of the first term is 3

the coefficient of the second term is \_\_\_\_\_

the coefficient of the third term is \_\_\_\_\_

# A word on expressions...

You cannot solve an expression

You can write an equivalent expression,  
though!

$2p+p$  is equivalent to  $3p$

$4m+3m$  is equivalent to  $7m$

# Term

A small part of an expression or equation (often separated by addition or subtraction)

Example... in  $3x+2$  the terms are  **$3x$**  and  **$2$**

What are the terms in:

$$4 + 2x + 7y$$

$$5x + 3 - 7$$

$$15 + 30 + 17 + 2y + 3y$$



# Combining like terms...

Combining Like Terms is a process used to simplify an expression or an equation using addition and subtraction of the coefficients of terms. Consider the expression below

$$5 + 7$$

By adding 5 and 7, you can easily find that the expression is equivalent to 12

# "like terms"

How can we identify when a pair of terms are "like" .

***The following are like terms because each term consists of a single variable,  $x$ , and a numeric coefficient.***

$2x$ ,  $45x$ ,  $x$ ,  $0x$ ,  $-26x$ ,  $-x$

***Each of the following are like terms because they are all constants.***

$15$ ,  $-2$ ,  $27$ ,  $9043$ ,  $0.6$

***Each of the following are like terms because they are all  $y^2$  with a coefficient.***

$3y^2$ ,  $y^2$ ,  $-y^2$ ,  $26y^2$